Even denominator and higher Landau level fractional quantum Hall states in ZnO

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The ZnO two-dimensional electron system has recently emerged as an alternative platform for investigating 2D correlation physics. Advances in growth techniques now allow the realisation of samples with electron mobilities exceeding $\mu=700,000~\rm cm^2/Vs$ [1], enabling the observation of an extensive series of fractional quantum Hall states (FQHS) in the lowest Landau level [2].

In this work, we present low temperature magnetotransport data focusing on the higher Landau level physics of the system. Figure 1 displays the magnetotransport, where a rich variety of FQHS are revealed for $\nu>2$ at base $T\approx 20 \mathrm{mK}$. Most notable is the clear quantisation of the even denominator $\nu=7/2$ FQHS; the first observation of an even denominator state outside of the GaAs electron system. While this state is stable, the $\nu=5/2$ FQHS is curiously absent. Rather, the $\nu=5/2$ region presents as asymmetric, with the observation of FQHS $\nu=8/3$, 13/5 and 18/7 on the low field side contrasted by a complete absence of FQHS on the high field side. Instead, a single reentrant integer quantum Hall state (RIQHS) is revealed at higher temperature. Such results suggest that ZnO allows the exploration of new and unique facets of 2D electron correlation physics.

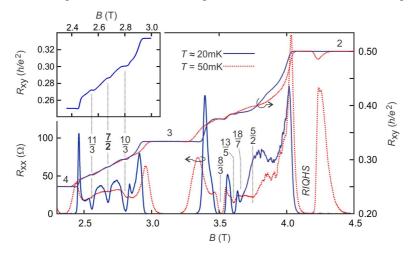


Figure 1: Magnetotransport at $T\approx 20 \mathrm{mK}$ (blue, solid) and 50 mK (red, dotted) for $4>\nu>2$ with notable quantised states, and the location of $\nu=5/2$ indicated. The inset displays a close-up of the quantised Hall resistance for $4>\nu>3$.

^[1] J. Falson et al., Appl. Phys. Express 4, 091101 (2011).

^[2] D. Maryenko et al., Phys. Rev. Lett 108, 186803 (2012).